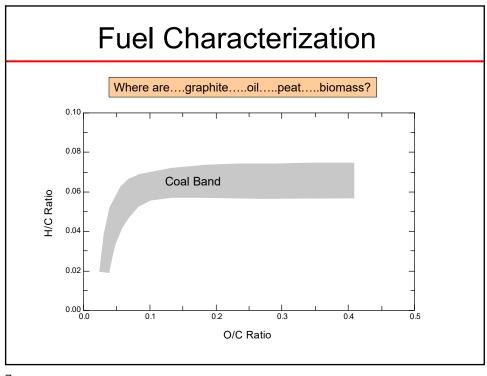


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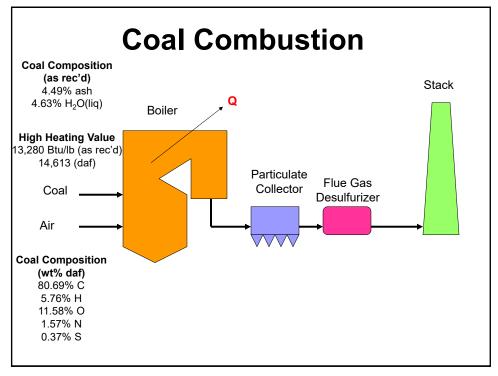


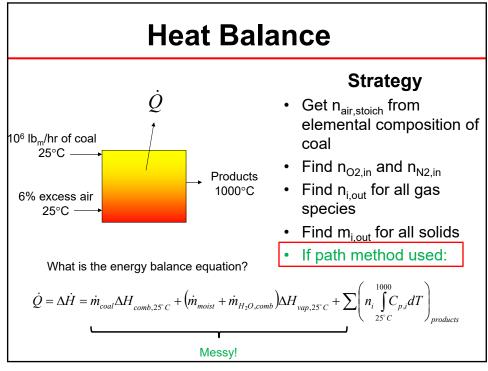
TA	ABLE I Classification of Coals by Rank							
		Fixed carbon limits (%) (dry, mineral- matter-free basis)		Volatile matter limits (%) (dry, mineral- matter-free basis)		Calorific value limits (Btu/lb) (moist mineral-matter- free basis)		
	Class Group	≥	<	>	≥	≽	<	Agglomerating character
I.	Anthracitic							
	1. Meta-anthracite	98	_		2		- )	
	2. Anthracite	92	98	2	8	- i - i - i	_ }	nonagglomerating
	3. Semianthracite	86	92	8	14	_	_ /	
	Bituminous							
	1. Low volatile bituminous coal	78	86	14	22	_	- )	
	2. Medium volatile bituminous coal	69	78	22	31	_	-	
	3. High volatile A bituminous coal	_	69	31	_	14,000	- }	commonly agglomerating
	4. High volatile B bituminous coal	_	_	_	_	13,000	14,000	
	5. High volatile C bituminous coal	_	_	_	_	11,500	13,000	
						10,500	11,500	agglomerating
III.	Subbituminous						,	
	Subbituminous A coal	-	-	-		10,500	11,500	
	2. Subbituminous B coal	-	_	_	_	9,500	10,500	
** *	3. Subbituminous C coal	The second	-	_	_	8,300	9,500	nonagglomerating
IV.	Lignitic							
	1. Lignite A		-	_	-	6,300	8,300	
	2. Lignite B	COLUMN TO	-		-	_	6,300	

#### **Terminology**

- High heating value
  - Calculated using H<sub>2</sub>O (liq) as product
- Low heating value
  - Calculated using H<sub>2</sub>O (gas) as product
- Heating value = -∆H<sub>c</sub>
  - i.e., heating value is positive, but heat of reaction is negative
  - Table B.1 lists the high heating value
    - Actually  $\Delta H_c$  corresponding to the high heating value

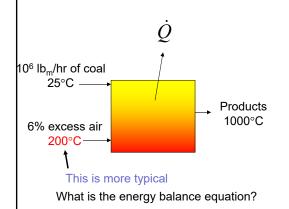
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See Spreadsheet Example

#### **Heat Balance with Preheated Air**



#### Strategy

- Get n<sub>air,stoich</sub> from elemental composition of coal
- Find n<sub>O2,in</sub> and n<sub>N2,in</sub>
- Find n<sub>i,out</sub> for all gas species
- Find m<sub>i.out</sub> for all solids
- What is the energy balance equation?

  Use  $\Delta H_f^o$  method Recommended!  $\dot{Q} = \Delta \dot{H} = \left(\sum \dot{n_i} \hat{H_i}\right)_{gas,out} + \left(\sum \dot{m_i} \hat{H_i}\right)_{solid \& liquids,out} \left(\sum \dot{n_i} \hat{H_i}\right)_{in} \left(\sum \dot{m_i} \hat{H_i}\right)_{solid \& liquids,in}$

Need heat of formation of coal!

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#### Calculation of ∆H<sub>f</sub><sup>0</sup> for Coal

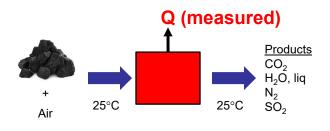
- Given:
  - Elemental composition
  - Heating Value (Btu/lb<sub>m</sub>) ... Change to kJ/kg
  - Basis: 1.00 kg of dry, ash-free coal (daf)
- Calculate:
  - Mass of each element (C, H, O, N, S)
  - Moles of each element
  - O<sub>2</sub> requirement to burn each element

$$\begin{array}{ll} \text{C + O}_2 \Rightarrow \text{CO}_2 & \text{O in coal decreases O}_2 \text{ requirement from air} \\ \text{H + $^{1}\!\!/_4$ O}_2 \Rightarrow {}^{1}\!\!/_2\text{H}_2\text{O (liq)*} & \text{N in coal goes to N}_2 \\ \text{S + O}_2 \Rightarrow \text{SO}_2 & \end{array}$$

- Moles of each product (CO<sub>2</sub>, H<sub>2</sub>O, SO<sub>2</sub>, O<sub>2</sub>, N<sub>2</sub>)

\*H<sub>2</sub>O product is liquid if the high heating value is specified!

### Calculation of $\Delta H_f^0$ for Coal



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### Calculation of ∆H<sub>f</sub><sup>0</sup> for Coal

Energy Balance

$$Q = H_{products} - H_{reactants} = -Heating \ Value$$
  $H_{products} = \sum (n_i \widehat{H}_i)_{products}$   $H_{reactants} = \sum (n_i \widehat{H}_i)_{reactants}$   $\widehat{H}_{coal} \neq \Delta H_{f,coal}^0 + \int_{2\pi^*C}^T C_{p,coal} dT$ 

unknown

- For heat of formation calculation, reactants and products are at 25°C!
  - Only need  $\Delta H_{f,products}$ , not  $C_p$ 's

## Calculation of ∆H<sub>f</sub><sup>0</sup> for Coal (cont.)

• Since we are computing everything at 25°C,

$$\widehat{H}_{i} = \Delta H_{f,i}^{0} + \int_{25^{\circ}C}^{25^{\circ}C} C_{p,coal} dT$$

$$H_{products} = \sum (n_{i} \Delta H_{f,i}^{0})_{products}$$

$$H_{reactants} = \sum (n_{i} \Delta H_{f,i}^{0})_{reactants}$$

- And since the gaseous reactant is air,  $\Delta H_{f,air}^0$ =0
- Therefore:

-Heating Value = 
$$\sum (n_i \Delta H_{f,i}^0)_{prod} - m_{coal} \Delta H_{f,i}^0$$

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#### **Answer to Special Problem 29.1**

$$\Delta H_{f,coal}^0 = -3134 \frac{kJ}{kg \ of \ daf \ coal}$$

You will need to know how to get a heat of formation for coal when you do the case study!

#### Homework: Problem 29.2 Draw schematic Air 100 C 1.0 atm $Q_1$ $Q_2$ Basis: 1 gmol of methanol Methanol (liq) 25 C 1 atm Methanol (vap) 300 C 1.1 atm Evaporator 100 C 1.0 atm 1.1 atm Mole fractions (dry basis): Catalytic $y_{CO2} = 0.048$ $y_{O2} = 0.143$ $y_{N2} = 0.809$ Combustor (a) Find % excess air and dew point temperature of the product gas (b) Find ${\rm Q}_1$ and ${\rm Q}_2$ Strategy: (a) 1 mol methanol means 1 mol ${\rm CO_2}$ produced, so find ${\rm n_{dry}}$ (b) Find $n_{O2}$ and $n_{N2}$ in outlet stream from $y_i$ 's and $n_{dry}$ (c) $n_{N2}$ is same in inlet air, so find $n_{O2}$ and hence % excess air (d) Find Q's from energy balances