## **Char Oxidation Concepts**

- 1. χ
- 2.  $CO/CO_2$  ratio
- 3. n<sup>th</sup> order
- 4. α
- 5. T dependence
- 6.  $d_p$  dependence
- 7.  $CO \rightarrow CO_2$  in boundary layer (2-film model)
- 8. energy balance / iteration

- 9. Thiele modulus
- 10. Ian Smith reactivity correlation
- 11. TGA rate vs high T rate
- 12. Catalytic effects at low T
- 13. Pressure effects
- 14. Correlations vs. chemistry
- 15. Late burnout ideas
- 16. N-release during char oxidation





## **Review (cont.)** • If the surface reaction rate is: $r''_{rxn} = k_{rxn} P^n_{O_{2},s}$ and the film diffusion rate is: $r''_{diff,O_{2}} = k_m (P_{O_{2},g} - P_{O_{2},s})$ How do you calculate the reaction rate of the char? • How do you calculate the char oxidation rate when you need to solve the particle energy equation as well?





2-film Model of Char Oxidation • For large particles, where the boundary layer is large enough (200 µm or higher?) • Actual surface reaction is C +  $CO_2 \rightarrow 2CO$ • The "flame" is from flame zone  $CO + \frac{1}{2}O_2 \rightarrow CO_2$ **O**<sub>2</sub> • CO<sub>2</sub> diffuses back to the  $y_i$  $CO_2$ particle surface and away from the flame to the bulk gas r/R 1















| Chemical Kinetics  | Particle Morphology  |
|--|--|
| <ol> <li>Internal reaction including:         <ul> <li>Pore diffusion</li> <li>Adsorption/desorption</li> <li>Intrinsic chemical reaction</li> <li>Mineral matter catalysis</li> </ul> </li> <li>Chemical reactions considered         <ul> <li>Heterogeneous/homogeneous</li> </ul> </li> <li>Particle heating</li> </ol> | <ol> <li>Postulated pore geometry         <ul> <li>Total or active surface area</li> <li>Degree of pore branching</li> <li>Evolution of pore structure</li> <li>Particle fragmentation</li> <li>Mineral matter blockage effects</li> </ul> </li> </ol> |









## Intrinsic Kinetics (macroscopic)

1. Determine rate per external surface area from kinetic expression  $\dot{r}_{C}^{\prime\prime\prime} = \eta k^{\prime\prime\prime} C_{O_2,s}$ 

n

where  $\eta$  is a "fudge factor" to correct for pore diffusion effects

$$=\frac{C_{O_2,average}}{C_{O_2,surface}}$$

- 2. Determine value of  $\eta$  from the effective diffusivity (D<sub>e</sub>), the tortuosity, etc.
- 3. The  $\eta$  is called the effectiveness factor
  - $\eta = 1$  means no pore diffusion resistance (C<sub>02</sub> = constant in particle interior)
    - $\eta < 1$  means some pore diffusion resistance

$$(C_{O2.avg} < C_{O2.surface})$$

- 4. Since the  $\eta$  terms contains some temperature dependence, the overall "apparent" activation energy turns out to be  $E_{app} = E_{true}/2$
- 5. The  $\eta$  is therefore a function of reaction rate (k'''), T<sub>p</sub>, d<sub>p</sub>, and pore size





## **Microscopic Intrinsic Models**

- More complex pore model
- Model local diffusivity and pore structure

   No empirically-determined effective diffusivity
- Strength: Promise of better fundamental understanding
- Weakness: Numerically cumbersome
  - Not for use in boiler simulation codes















