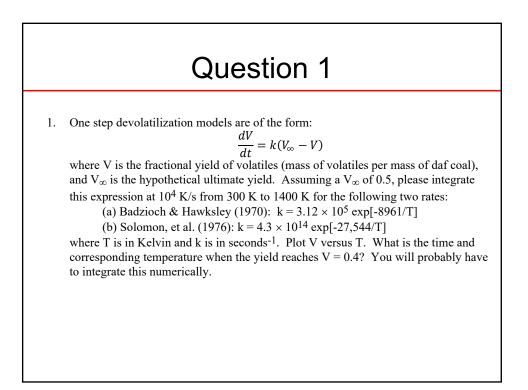
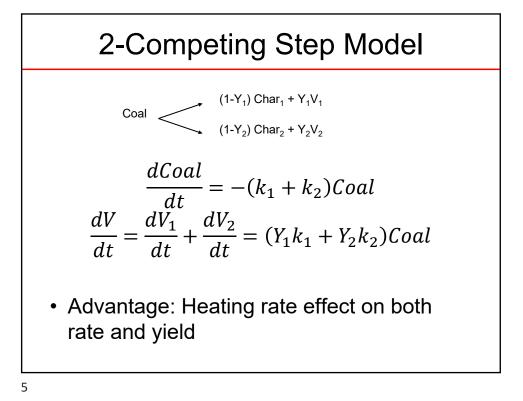


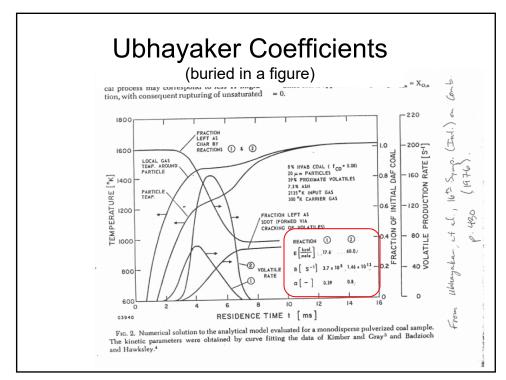
1-Step Model

$$\frac{dV}{dt} = k(V_{\infty} - V)$$

- V = % of coal that becomes volatiles
- V_{∞} = "Ultimate" yield (yield at infinite time)
- k =Arrhenius rate constant {A exp(-E/RT)}







Question 2 Repeat problem 1 for the 2-step competing model using the following rate constants:								
Kobayashi 2-step	2.0e5	1.3e7	25	40	0.3	1.0		
Ubhayakar 2-step	3.7e5	1.46e13	17.6	60	0.39	0.80		

Distributed Activation Energy Model (DAEM)

$$\frac{V_{\infty} - V}{V_{\infty}} = \int_0^{\infty} e^{-\int_0^t k dt} F(E) dE$$
$$F(E) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{(E - E_0)^2}{2\sigma^2}}$$

- Assumption: Volatiles can be released from bins of different activation energy in parallel
- Advantage: Heating rate effects on rate
- Derivative form available

How do you solve the DAEM?

Gaussian quadrature!

$$\int_{-1}^{1} f(x)dx = \sum w_i f(x_i)$$

- Break up activation energies into 5 to 10 bins
- Quadrature theory tells what the weighting functions are
- Like 5 to 10 parallel reactions weighted appropriately

9

Series Distributed Activation Energy

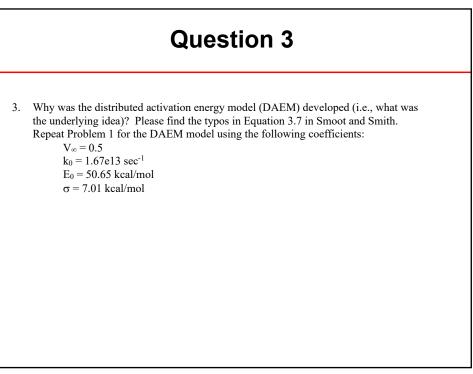
- · Concept of an effective E
- E_{eff} changes according to the distribution function:

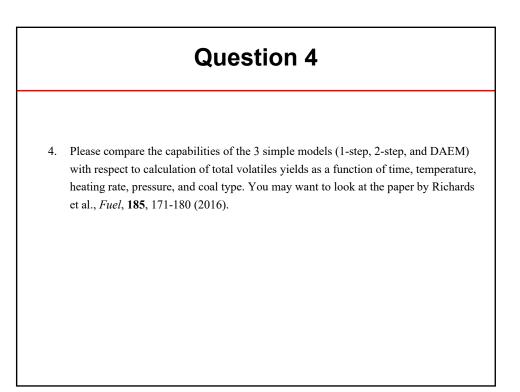
$$\mathsf{E}_{\mathsf{eff}} = f(V, V_{\infty}, \sigma)$$

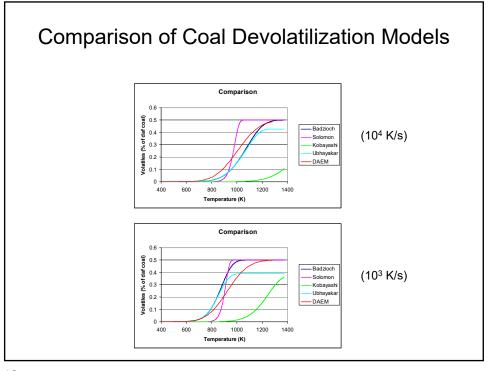
 E_{eff} changes according to a Gaussian distribution based on extent of conversion

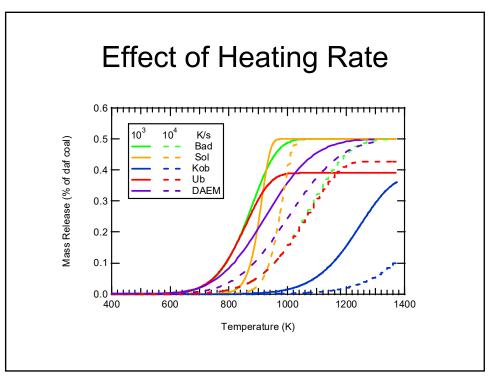
$$\frac{dV}{dt} = k_{eff}(V_{\infty} - V)$$
$$k_{eff} = Ae^{-\frac{E_{eff}}{RT}}$$

• MUCH faster with great results









	# of constants	Yield = <i>f</i> (heating rate)?	Pressure effects?	T effect?	Coal type?
1-Step	A,E,V*			Х	
2-step	A1,E1,Y1 A2,E2,Y2	x		Х	
DAEM	A,E0,Sigm a,V*			Х	
	Industrial prac	$Y_1 = AST$ $Y_2 = 2Y_1$	M volatiles yi	eld,	



Question 5

5. Please discuss what the blowing factor is in relation to coal devolatilization. You may want to look at the paper by Fletcher, *Combustion Science and Technology* **63**, 89 (1989).

