## Homework 8

Ch En 263 – Numerical Tools

Due date: 12 May 2020

## Instructions

- For the problems in Excel, submit a workbook named "LastName\_FirstName\_HW8.xlsx" where each worksheet tab is named "Problem\_1", "Problem\_2", etc.
- For the problems in Python, submit a separate file for each problem named "Last-Name\_FirstName\_HW8\_ProblemXX.py" where XX is the problem number.
- For your convenience, optional Excel and Python template files are available on the course website.
- If needed, a supplementary handwritten or typed document can be submitted via pdf on Learning Suite with the name "LastName\_FirstName\_HW8.pdf".
- Please report how long it took you to complete the assignment (in hours) in the "Notes" section on Learning Suite.

## Problems

- 1. Visit finance.yahoo.com and select a stock by searching for a company name and selecting the "Historical Data" tab. Download the data for the past three months and import it into to a your Excel worksheet. Generate a single plot that shows the "High" and "Low" data. Format the plot for readability by:
  - Adjusting the plot size to be 4 in. high and 6 in. wide,
  - Plotting the data as lines (of different color) instead of markers,
  - Adjusting the y-axis to zoom in enough to see a difference between the two curves,
  - Naming the y-axes (e.g. Price, \$),
  - Deleting the Chart Title,
  - Eliminating the grid-lines,
  - Putting a legend in the top-right corner that labels "High" and "Low",
  - Adjusting the font size to be 16, and
  - Rotating the text-direction of the dates on the x-axis to be vertical.
- 2. Do the following in a Python file.
  - (a) Define arrays for the following equations

$$y_1 = 2x^{-3} + 2x^{-1}$$
  
 $y_2 = 2x^{-3}$   
 $y_3 = 2x^{-1}$ 

where  $x \in [10^{-2}, 10^2]$  with at least 100 points in each array. *Hint: Use the numpy function logspace.* 

- (b) Write  $x, y_1, y_2$ , and  $y_3$  to a text file called power\_law.dat with a header that says # columns:x, y1, y2, y3.
- (c) Read  $x, y_1, y_2$ , and  $y_3$  back in from the text file power\_law.dat from disk, and store them as the variables  $t, s_1, s_2, s_3$
- (d) Plot t versus  $s_1$ ,  $s_2$ , and  $s_3$  with the following formatting specifications, and save the plot as power\_law.pdf.
  - Make the plot a log-log plot.
  - Make the default font size 16.
  - Plot  $s_1$  as a black solid line of width 2,  $s_2$  as a blue dashed line of default width and  $s_3$  as a red dotted line of default width.
  - Label the x-axis with a symbol,  $\sigma$ .
  - Label the y-axis with the word "Energy"
  - Title the figure "Power-Law Crossover"
  - Change the x-axis limits to span from  $10^{-2}$  to  $10^2$  and the y-axis from  $10^{-5}$  to  $10^5$
  - Add a legend where  $s_1$  is labeled as "exact",  $s_2$  is labeled as "large  $\sigma$ " and  $s_3$  is labeled as "small  $\sigma$ ".

Hint. You are going to have to read the online documentation to learn how to do some of this formatting. I did this on purpose, so you can get comfortable doing this because it is an important skill.

- 3. Do the following using both an Excel sheet and a Python file.
  - (a) In an Excel sheet, make a column called n that ranges from 0 to 100, another column where t that ranges from 0 to 10 with increments of  $\Delta t = 0.1$  and a third column called A which obeys the formula

$$A_{n+1} = A_n + \Delta t \left[ \frac{A_{in} - A_n}{\tau} - kA_n^2 \right]$$

where  $A_{in} = 1$ ,  $\tau = 2$ , k = 0.1,  $\Delta t = 0.1$  and  $A_0 = A(t = 0) = 0$ . Hint: Set  $A_0 = 0$  in the first cell. Plug in n = 0 into the equation above to find a formula for the next cell,  $A_1$  that references the cell above  $(A_0)$ . Then copy and paste down the column.

- (b) Export the t and A as columns to a text file called EEsoln.csv.
- (c) Import the data into a Python file and plot A versus t. Format the plot with labels for the x- and y-axis and make the font size 16. Show the plot, but do not save it to disk.
- 4. Do the following in a Python file.
  - (a) Write a function called doubledot(A, B) that takes two matrices (2D numpy arrays) as arguments and returns a value using the following formula:

$$oldsymbol{A}:oldsymbol{B}=\sum_{i}\sum_{j}A_{ij}B_{ij}$$

where A and B are  $N \times N$  matrices. *Hint: This is called a double-dot product. It is like a dot product for matrices. It should give you a single number.* 

(b) Download the files A.dat and B.dat from the course website. Read your files into Python and execute your function on A and B. Print the resulting number.